超新星フォールバックの数値流体 シミュレーション

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Effects of Fallback by Hydrogen Envelope?



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Simulation Calculation of spherically symmetric 1D fluid in progenitors with "only" different hydrogen envelope

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Simulation

Initial Condition Black: type II (Hydrogen: Rich) $Z = 10^{-4}Z_{\odot}, M_{ZAMS} = 18M_{\odot}$ Woosley+02

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Simulation

1D explosion calculation for progenitors with hydrogen envelope

Code: Athena++ (Stone+20) Equations: pure hydro + self-gravity

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$$

$$\partial \rho \mathbf{u}$$

 $\frac{\partial \rho \mathbf{u}}{\partial t} + \nabla \cdot (\rho \mathbf{u} \otimes \mathbf{u} + P^*) = \rho \mathbf{g}$

$$\frac{\partial e}{\partial t} + \nabla \cdot \{ \mathbf{u}(e+p) \} = \rho \mathbf{u} \cdot \mathbf{g}$$

 $p = \epsilon(\gamma - 1), \gamma = 5/3$

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Explosions: Thermal bomb

Inject internal energy (E_{ini}) at 10^7 cm

⇒Calcurate total energy of ejecta as explosion energy (E_{exp})

Put $E_{\rm ini}$ to reproduce $E_{\rm exp} \simeq 10^{49-52} {\rm erg}$

Results : Shock evolution $(E_{inj} = 8 \times 10^{50} \text{erg})^{17}$

- : Hydrogen **Rich** type ll
- Hydrogen Poor type llb
- Before run in Envelope →Same





Results : Shock evolution $(E_{inj} = 8 \times 10^{50} \text{erg})^{18}$

- Hydrogen Rich
 type II
- Hydrogen Poor
 type Ilb
- Before run in Envelope ⇒Same







Left panel: Strong fallback due to the reverse shock!



Right panel: The final remnant mass is ~ $5.8M_{\odot}$, ~ $3.8M_{\odot}$

Results : Strong Explosion $(E_{inj} = 2 \times 10^{51} \text{erg})^{21}$ 10^{-2} 6 Accretion Rate $[M_{\odot} s^{-1}]$ Remnant Mass [M_o] 5 10^{-4} 10^{-6} 3 2 10^{-1} 10^{2} 10^{3} 10^{4} 10^{3} 10^{4} 10^{2} Time [s] Time [s] Left panel: Weak fallback!

Right panel: The final remnant mass is ~ $1.8M_{\odot}$, ~ $1.8M_{\odot}$

Result: Explosion energy and the remnant mass²²

Explosion energy (E_{exp}) : the total energy of ejecta

 $E_{\rm exp} \sim \text{total energy of progenitor } + E_{\rm inj}$



<u>Black: type II (Hydrogen: Rich)</u> Increases $\sim 3M_{\odot}$ by the reverse

shock immediately

Result: Explosion energy and the remnant mass²³

Explosion energy (E_{exp}) : the total energy of ejecta $E_{exp} \sim \text{total energy of progenitor} + E_{ini}$



Black: type II (Hydrogen: Rich) Increases $\sim 3M_{\odot}$ by the reverse shock immediately Transition region: 2.5 - $6M_{\odot}$

Result: Explosion energy and the remnant mass²⁴

Explosion energy (E_{exp}) : the total energy of ejecta $E_{exp} \sim \text{total energy of progenitor} + E_{ini}$



Black: type II (Hydrogen: Rich)Increases ~ $3M_{\odot}$ by the reverseshock immediatelyTransition region: $2.5 - 6M_{\odot}$ Red: type IIb (Hydrogen: Poor)Smaller power than type IIThe remnant mass is the same 10^{52} at $E_{exp} \gtrsim 4 \times 10^{50} \text{ erg}$

Result: Explosion energy and the remnant mass²⁵



Parameter search: $M_{\rm ZAMS} = 18,20,24,28 M_{\odot}$

 $Z = 10^{-4} Z_{\odot}$

Result: Explosion energy and the remnant mass²⁶



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All models have transition regions!

Result: Explosion energy and the remnant mass²⁷



Parameter search: $M_{\rm ZAMS} = 18,20,24,28 M_{\odot}$

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Result: Explosion energy and the remnant mass²⁸



 $M_{\rm ZAMS} = 18,20,24,28 M_{\odot}$ $Z = 10^{-4} Z_{\odot}$

All models have transition regions!

Transition region: Factor 2-3 of $E_{\text{grav,Hyd}}$

Summary

Calculation of spherically symmetric 1D fluid in Simulation progenitors with **"only"** different hydrogen envelope

Result

• Reverse shock makes Transition region • High-power region mass range is $2.5M_{\odot}$ to $6M_{\odot}$

at $M_{\rm ZAMS}=18M_\odot, Z=10^{-4}Z_\odot$

. High-power region : $2 - 3 \times E_{\text{grav,Hyd}}$

•What is the factor of 2-3?

Future Task . The effect of changing M_{ZAMS} and Z?

Multi-dimensional effect?

